

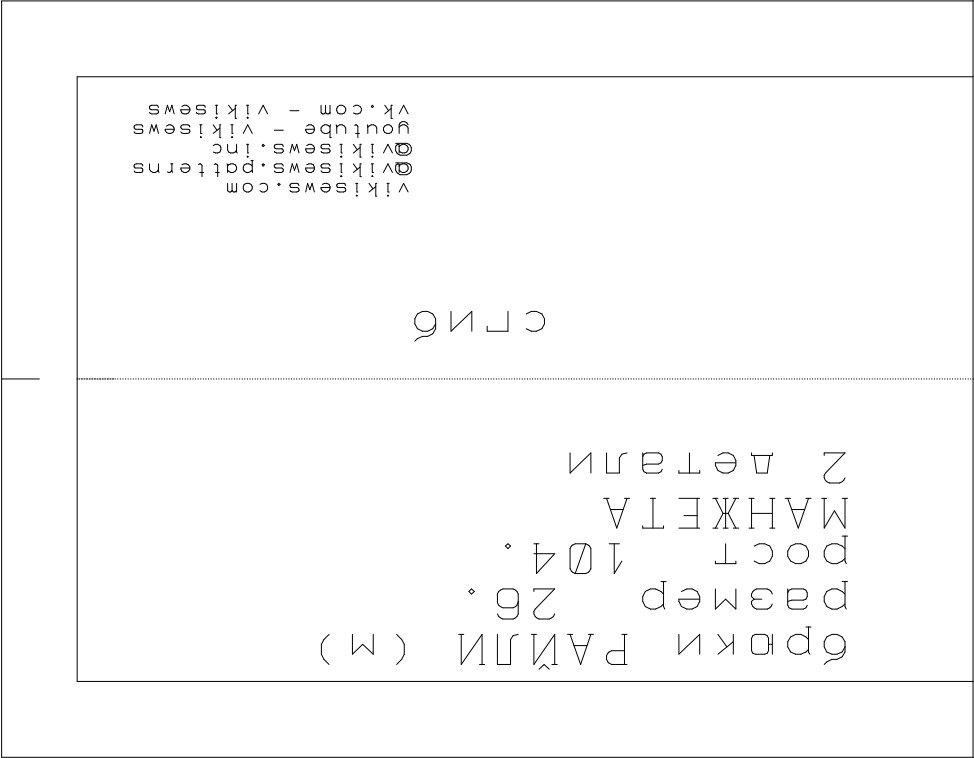
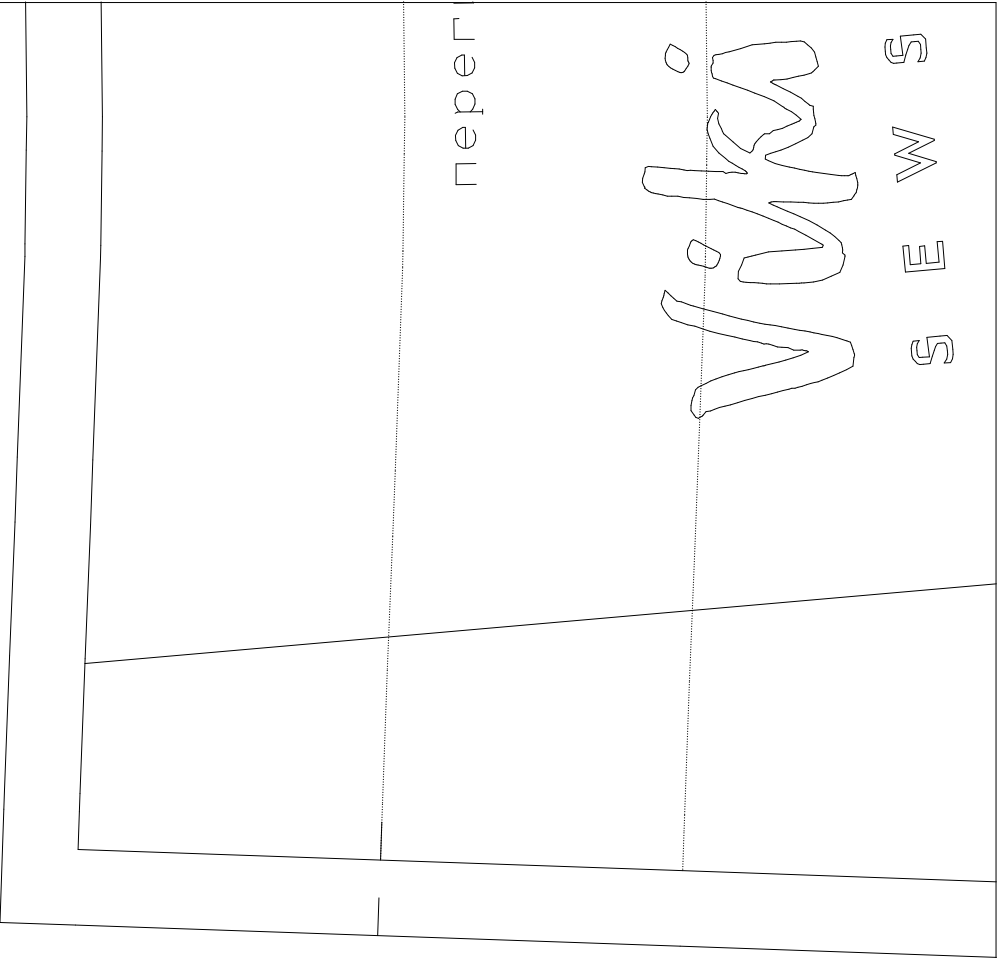
vikisews.com
@vikisews.patterns
@vikisews.inc
youtube - vikisews
vk.com - vikisews

91

5 см x 5 см

Брокки ПАЙЛН (м)
размер 26.
рост 104.

(A,01): Брокки ПАЙЛН (м).mdl (..\Alpha\)



(A,02): Бюки Райли (м).mdl (..\Alpha\)

долевая (направление)

3.6 см

(В, 01): Броки Райли (м).md1 (..\Alpha\)

(B, 02): Бракн Райли (M).mdl (..\Alpha)

РАЙЛИ (М)

БРОК № 26.

2	104
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Σ	1
0	0
0	0

104. ПОЛОВИНКА

Детей

[illegible]
$$\sum_{i=1}^n \frac{1}{i^2}$$

Принбавка по брѣ
Принбавка по брѣ

Σ

Symbol	Meaning
$\cup$	Union
$\cap$	Intersection
$\square$	Empty set
$\in$	Element of
$\notin$	Not an element of
$\subseteq$	Subset of
$\supseteq$	Superset of
$\subset$	Proper subset of
$\supset$	Proper superset of
$\sim$	Not
$\neg$	Not
$\wedge$	And
$\vee$	Or
$\rightarrow$	Implies
$\leftrightarrow$	Equivalence
$\forall$	For all
$\exists$	There exists
$\exists!$	There exists exactly one
$\forall!$	For all exactly one
$\exists \in$	There exists an element of
$\forall \in$	For all elements of
$\exists \notin$	There exists an element not of
$\forall \notin$	For all elements not of
$\exists \subseteq$	There exists a subset of
$\forall \subseteq$	For all subsets of
$\exists \supseteq$	There exists a superset of
$\forall \supseteq$	For all supersets of
$\exists \subset$	There exists a proper subset of
$\forall \subset$	For all proper subsets of
$\exists \supset$	There exists a proper superset of
$\forall \supset$	For all proper supersets of
$\exists \sim$	There exists a set not
$\forall \sim$	For all sets not
$\exists \neg$	There exists a set not
$\forall \neg$	For all sets not
$\exists \wedge$	There exists a set and
$\forall \wedge$	For all sets and
$\exists \vee$	There exists a set or
$\forall \vee$	For all sets or
$\exists \rightarrow$	There exists a set implies
$\forall \rightarrow$	For all sets implies
$\exists \leftrightarrow$	There exists a set equivalence
$\forall \leftrightarrow$	For all sets equivalence
$\exists \forall$	There exists a set for all
$\forall \exists$	For all sets there exists
$\exists \forall \in$	There exists a set for all elements of
$\forall \exists \in$	For all sets there exists an element of
$\exists \forall \subseteq$	There exists a set for all subsets of
$\forall \exists \subseteq$	For all sets there exists a subset of
$\exists \forall \supseteq$	There exists a set for all supersets of
$\forall \exists \supseteq$	For all sets there exists a superset of
$\exists \forall \subset$	There exists a set for all proper subsets of
$\forall \exists \subset$	For all sets there exists a proper subset of
$\exists \forall \supset$	There exists a set for all proper supersets of
$\forall \exists \supset$	For all sets there exists a proper superset of
$\exists \forall \sim$	There exists a set for all sets not
$\forall \exists \sim$	For all sets there exists a set not
$\exists \forall \neg$	There exists a set for all sets not
$\forall \exists \neg$	For all sets there exists a set not
$\exists \forall \wedge$	There exists a set for all sets and
$\forall \exists \wedge$	For all sets there exists a set and
$\exists \forall \vee$	There exists a set for all sets or
$\forall \exists \vee$	For all sets there exists a set or
$\exists \forall \rightarrow$	There exists a set for all sets implies
$\forall \exists \rightarrow$	For all sets there exists a set implies
$\exists \forall \leftrightarrow$	There exists a set for all sets equivalence
$\forall \exists \leftrightarrow$	For all sets there exists a set equivalence
$\exists \forall \exists$	There exists a set for all sets there exists
$\forall \exists \forall$	For all sets there exists a set for all
$\exists \forall \exists \in$	There exists a set for all sets there exists an element of
$\forall \exists \forall \in$	For all sets there exists a set for all elements of
$\exists \forall \exists \subseteq$	There exists a set for all sets there exists a subset of
$\forall \exists \forall \subseteq$	For all sets there exists a set for all subsets of
$\exists \forall \exists \supseteq$	There exists a set for all sets there exists a superset of
$\forall \exists \forall \supseteq$	For all sets there exists a set for all supersets of
$\exists \forall \exists \subset$	There exists a set for all sets there exists a proper subset of
$\forall \exists \forall \subset$	For all sets there exists a set for all proper subsets of
$\exists \forall \exists \supset$	There exists a set for all sets there exists a proper superset of
$\forall \exists \forall \supset$	For all sets there exists a set for all proper supersets of
$\exists \forall \exists \sim$	There exists a set for all sets there exists a set not
$\forall \exists \forall \sim$	For all sets there exists a set for all sets not
$\exists \forall \exists \neg$	There exists a set for all sets there exists a set not
$\forall \exists \forall \neg$	For all sets there exists a set for all sets not
$\exists \forall \exists \wedge$	There exists a set for all sets there exists a set and
$\forall \exists \forall \wedge$	For all sets there exists a set for all sets and
$\exists \forall \exists \vee$	There exists a set for all sets there exists a set or
$\forall \exists \forall \vee$	For all sets there exists a set for all sets or
$\exists \forall \exists \rightarrow$	There exists a set for all sets there exists a set implies
$\forall \exists \forall \rightarrow$	For all sets there exists a set for all sets implies
$\exists \forall \exists \leftrightarrow$	There exists a set for all sets there exists a set equivalence
$\forall \exists \forall \leftrightarrow$	For all sets there exists a set for all sets equivalence
$\exists \forall \exists \forall$	There exists a set for all sets there exists a set for all
$\forall \exists \forall \forall$	For all sets there exists a set for all sets for all
$\exists \forall \exists \forall \in$	There exists a set for all sets there exists a set for all elements of
$\forall \exists \forall \forall \in$	For all sets there exists a set for all sets there exists an element of
$\exists \forall \exists \forall \subseteq$	There exists a set for all sets there exists a set for all subsets of
$\forall \exists \forall \forall \subseteq$	For all sets there exists a set for all sets there exists a subset of
$\exists \forall \exists \forall \supseteq$	There exists a set for all sets there exists a set for all supersets of
$\forall \exists \forall \forall \supseteq$	For all sets there exists a set for all sets there exists a superset of
$\exists \forall \exists \forall \subset$	There exists a set for all sets there exists a set for all proper subsets of
$\forall \exists \forall \forall \subset$	For all sets there exists a set for all sets there exists a proper subset of
$\exists \forall \exists \forall \supset$	There exists a set for all sets there exists a set for all proper supersets of
$\forall \exists \forall \forall \supset$	For all sets there exists a set for all sets there exists a proper superset of
$\exists \forall \exists \forall \sim$	There exists a set for all sets there exists a set for all sets not
$\forall \exists \forall \forall \sim$	For all sets there exists a set for all sets there exists a set not
$\exists \forall \exists \forall \neg$	There exists a set for all sets there exists a set for all sets not
$\forall \exists \forall \forall \neg$	For all sets there exists a set for all sets there exists a set not
$\exists \forall \exists \forall \wedge$	There exists a set for all sets there exists a set for all sets and
$\forall \exists \forall \forall \wedge$	For all sets there exists a set for all sets there exists a set and
$\exists \forall \exists \forall \vee$	There exists a set for all sets there exists a set for all sets or
$\forall \exists \forall \forall \vee$	

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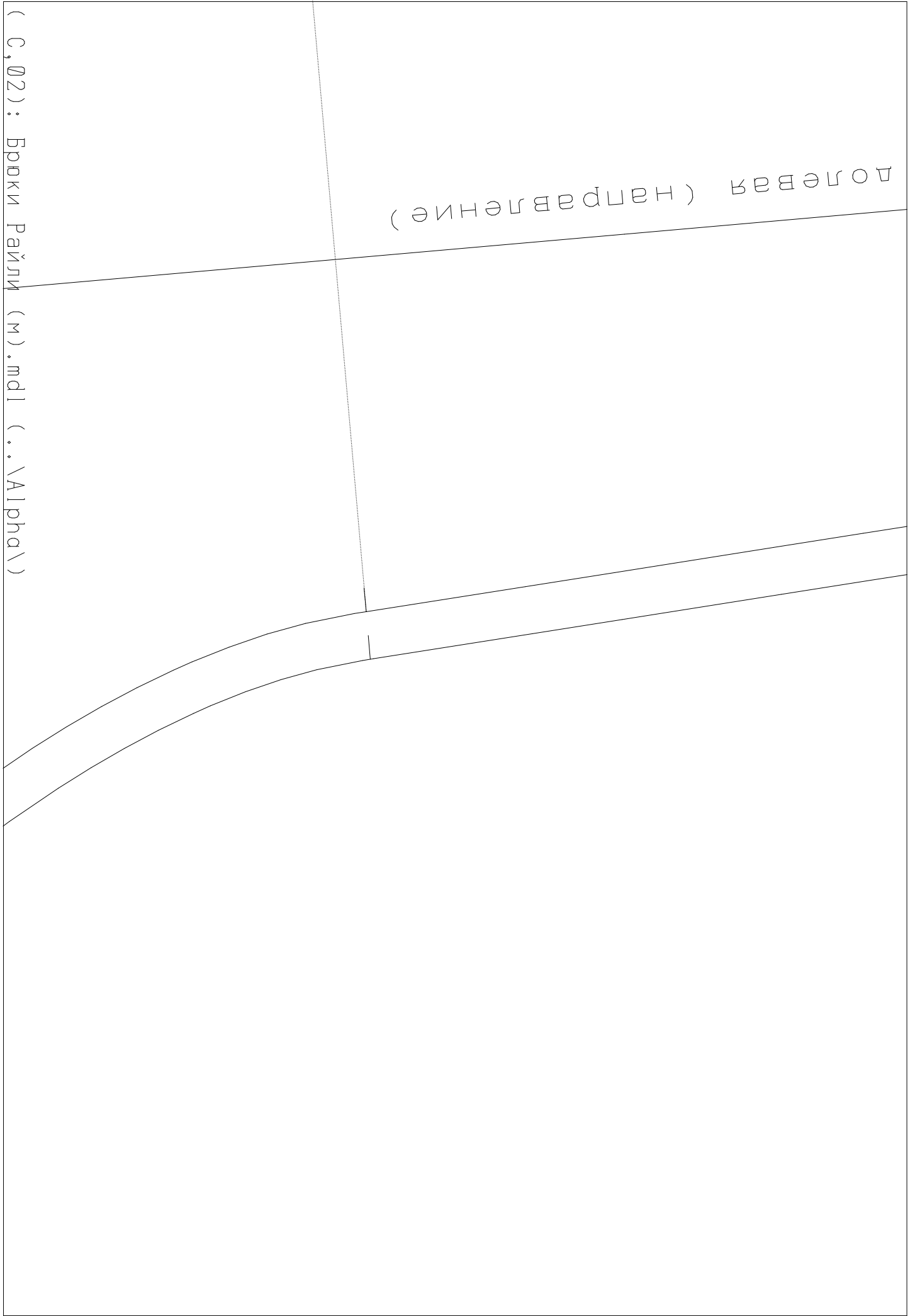
ЛИНЕЙНЫЕ ПРОТОНЫ (В ЛОТОВОМ ВИДЕ) :: 48.0

БРЮКИ РАЙЛИ (М)
размер 26.
рост 104.
ПЕРЕДНЯЯ ПОЛОВИНКА
2 детали

(С,01): Брюки Райли (м).mdl (..\Alpha\)

ДОЛЕВАЯ (направление)

(C,02): Брокс Райли (м).mdl (..\Alpha\)

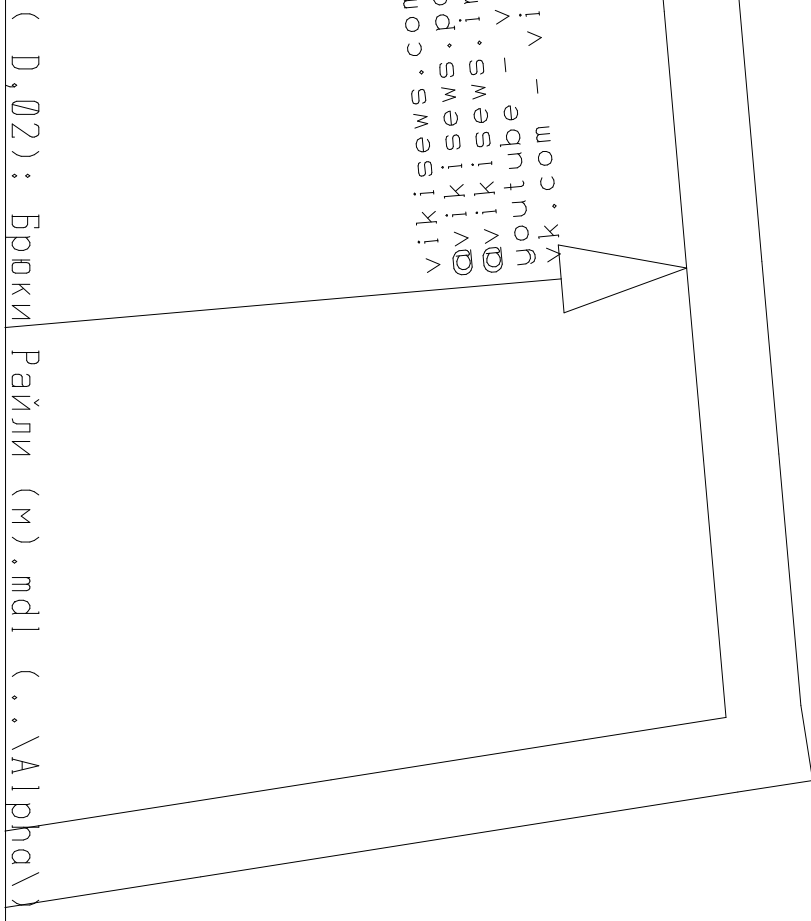


(D,01): Брррн Райлн (m).mdl (..\Alpha\)

SEWS
Viki

перенб

atters
nc
kisews
kisews



(D,02): Брокни Райли (м).mdl (..\Alpha\)